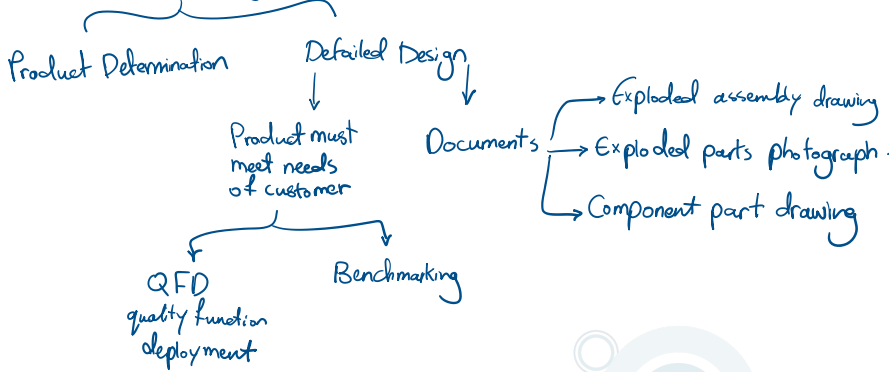
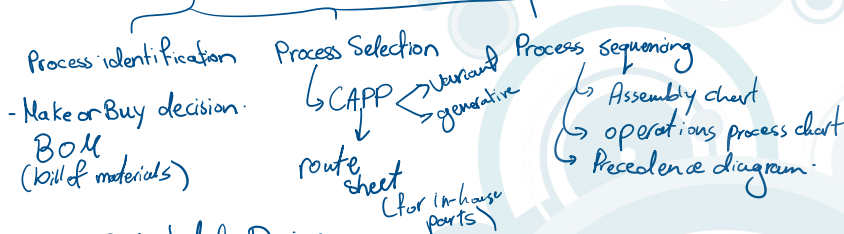


In order to make a facilities plan:

1. Product Design



2. Process Design



3. Schedule Design



not necessary like I
 $F = \frac{SI}{\text{scrap estimate}}$
 $H = \frac{I_k}{\text{time}}$
 there could be maintenance so:

$H = \text{availability} - \text{maintenance}$
 $\frac{I_k}{\text{time}}$

or = WL/AT
 Like time

$I_k = O_k + d_k I_k$ for a single operation.
 but we use:
 for all $I_n = \frac{O_n}{(1-d_1)(1-d_2)\dots}$ or $I_k = \frac{O_k}{1-d_k}$

* if there is rework then:

$I_{\text{after rework}} = O_{\text{rework}} + O_{\text{operation before}}$

$O_{\text{rework}} = \frac{I_{\text{before}} d_{\text{before}}}{1-d_{\text{rework}}}$

$I_{\text{rework}} = \frac{I_{\text{before}} d_{\text{before}}}{1-d_{\text{rework}}}$

scrap = $I_k - O_k$

cost = scrap x its cost

$$R = \begin{cases} 0 & x < \text{price} \\ \text{price} \times x & x \geq \text{price} \end{cases}$$

$$C = \text{cost} \times Q$$

$$P = \begin{cases} -CQ & x < Q \\ R - CQ & x \geq Q \end{cases}$$

② $x \mid Q$
 probabilities using:
 $P(x) = \binom{Q}{x} p^x (1-p)^{Q-x}$

③ $x \mid Q$
 $P(0, x)$ at their Q

④ $x \mid Q$
 $P(Q, x) \times P(x)$ at their places

⑤ بفج الرى لىن ار Q و بشوف من اعلى اع

Management tools:

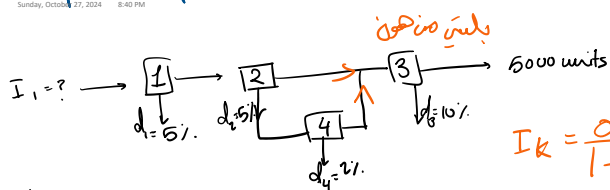


- Affinity Diagram
- Interrelationship Diagram
- Tree Diagram
- Matrix Diagram
- Contingency Diagram
- Activity Network Diagram
- Prioritization Matrix



Scrap estimate problem.

Sunday, October 27, 2024 8:40 PM



What is I_1 ?

$$I_k = \frac{O_k}{1-d_k}$$

$$I_1 = \frac{O_1}{1-d_1} \rightarrow O_1 = I_2$$

$$\frac{O_2}{1-d_2}$$

$$I_3 = O_2 + O_4$$

$$= I_2(1-d_2) + I_4(1-d_4)$$

$$I_4 = I_2 \cdot d_2 \text{ (rework)}$$

$$\text{so } O_4 = I_2 d_2 (1-d_4)$$

$$I_3 = I_2(1-d_2) + I_2 d_2(1-d_4)$$

$$I_3 = \frac{O_3}{1-d_3} = \frac{5000}{1-0.10} = 5555.555$$

$$\underline{I_2} \text{ (rework)}$$

$$5555.555 = I_2(1-0.05) + I_2 \times 0.05(1-0.02)$$

$$I_2 = 5561.56 \approx 5562 \text{ round up.}$$

$$\text{so } O_1 = I_2 = 5562$$

$$I_1 = \frac{5562}{1-0.05} = 5855$$

$$I_k = \frac{O_k}{1-d_k}$$

$$I_3 = \frac{5000}{1-0.10} = 5555.55 \approx 5556 \text{ units.}$$

$$I_3 = O_2 + O_4 \rightarrow I_2 = \frac{O_2}{1-d_2} \text{ so } O_2 = I_2(1-d_2)$$

$$I_4 = I_2 \cdot d_2$$

$$5556 = I_2(1-0.05) + I_2 \times 0.05(1-0.02)$$

$$5556 = I_2 \times 0.95 + 0.049 I_2$$

$$5556 = 0.999 I_2$$

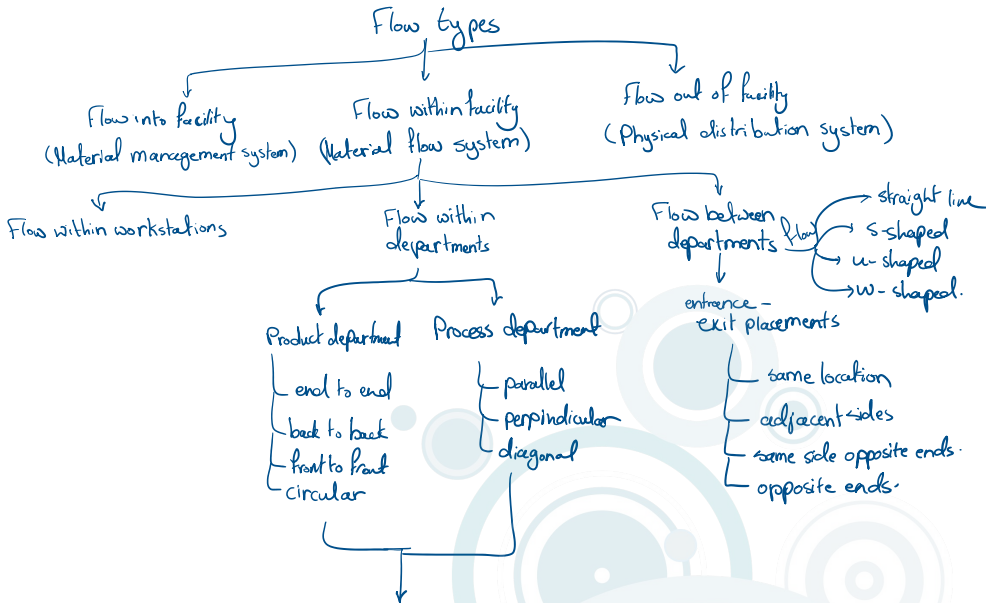
$$I_2 = 5562 \text{ units}$$

$$I_1 = \frac{O_1}{1-d_1}$$

$$\frac{5562}{1-0.05} = 5854.74 \text{ units} \approx 5855 \text{ units}$$

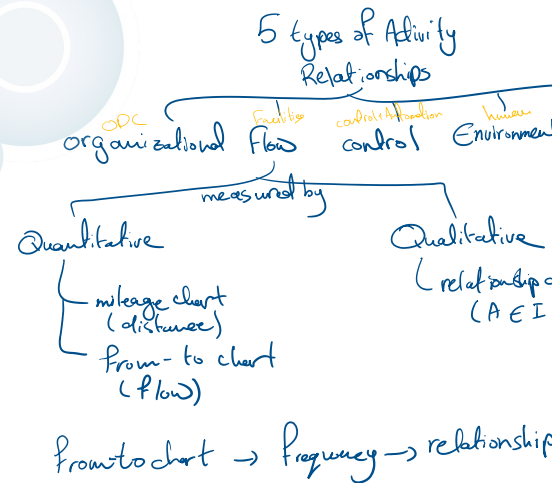
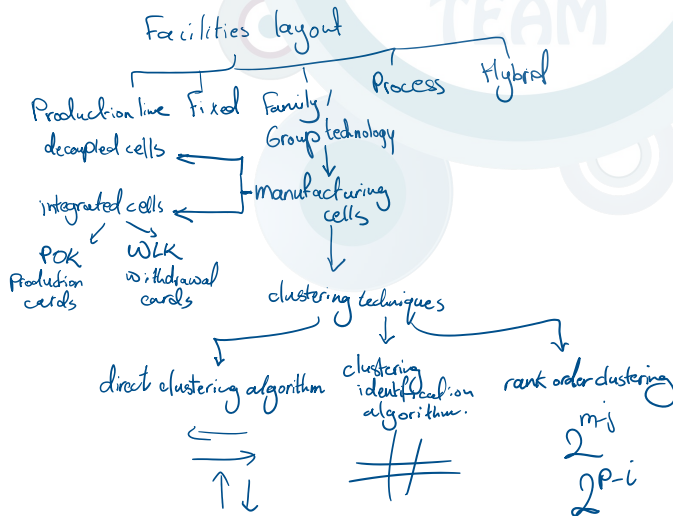
three characteristics of process flow

- item or subject
- resources
- communication/procedures.



Flow pattern or structure:

1. line flow
 - ↳ straight line, s-shape, w-shape, u-shape
2. spine flow
3. tree flow
4. loop
 - inner loop
 - outer loop



and other process

chart
(OU X)

chart

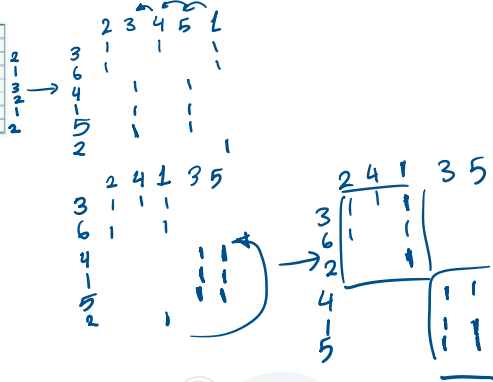


Problems

Saturday, November 30, 2024 10:01 PM

Question 1: Create manufacturing cells based on the machine-part matrix below. If conflicts or exceptional parts exist, propose alternative approaches. Use Queset order clustering algorithm.

Part #	Machine #	1	2	3	4	5
1		1				
2		1				
3		1	1	1		
4				1	1	
5		1	1			
6						



machine 2,4,1 produce 3,6,2
machine 3,5 produce 4,1,5

Question 2: Use the Rank Order Clustering algorithm to create manufacturing cells based on the machine-part matrix below. If conflicts or exceptional parts exist, propose alternative approaches.

Part #	Machine #	1	2	3	4	5	6	7	8
A									
B									
C									
D									
E									
F									
G									
H									
I									
J									
K									
L									

Handwritten calculations for Rank Order Clustering:

- $128 + 16 + 4 = 148$
- $128 + 16 = 144$
- $88 + 2 = 90$
- $88 + 16 + 4 = 108$
- 64
- $32 + 2 = 34$
- $64 + 1 = 65$
- $128 + 16 + 4 = 148$
- $52 + 2 = 54$
- $128 + 16 = 144$
- $64 + 2 + 1 = 67$



duplicate or at boundary or outsource

Question 3: Use the cluster identification algorithm to create manufacturing cells based on the machine-part matrix below. If conflicts or exceptional parts exist, propose alternative approaches. (you need to determine manufacturing cells)

Part #	M1	M2	M3	M4	M5	M6	M7	M8	M9	M10	M11	M12
P1												
P2												
P3												
P4												
P5												
P6												

$M_1, M_2, M_4, M_8, M_{10}$
make: P_1, P_4, P_6

M_5, M_7, M_{11}, M_{12}
make: P_2, P_3, P_5

M_3, M_6, M_9
make: P_3, P_7

Steps for solving parking spaces:

1. Employees to spaces ratio, if given do skip
if not given make
1.25 employees → 1 parking (no transportation)
3 employees → 1 parking (with transportation)

2. Is it perpendicular or angular?

What kinds of cars will be parking?

What SW will I use (should be given or choose first option)

What is W? (W_1, W_2, W_3, W_4)

3. Know that → $(\frac{180 \times 200 \text{ ft}}{\text{width depth}})$

If perpendicular:

See for any car is the size and test using module width taken from jeep. which combination is the best having it fit in depth given.

for ex:

2 modules for standard + 1 module for compact
 $2 \times 66" + 1 \times 89.2" = 189.2"$

العرض فقط

ما بوسعني

3 modules



نفس المساحة
نفس العرض
 $\frac{200}{66} = 3$

4. module numbers of each kind x 2 rows for each module (or 2 modules)

2 standard module x 2 rows + 1 compact module x 2 rows = 6 rows



5. Handicapped + turning aisles

Handicapped percent for handicap x total spaces (100 here) = spaces for them (usually 2%)

how much depth or (module width) will be taken by them?

spaces x 12" (handicap module width)

turning aisles 15" turning width, if there is jeep for turning x 2

6. # of spaces for each car: (using width not depth)

for standard: $180 / 8.6" = \text{for a single row}$
width / stall width

" $180 - (15" \times 2) / 8.6" = \text{for turning rows}$
(width - turning) / stall width

for compact: $180 / 8" = \text{for single row}$

" $180 - (15" \times 2) / 8" = \text{for turning rows}$

for handicapped: $180 / \text{num} = \text{put it in standard rows.}$

7. add: spaces for standard + spaces for compact...
and see if they almost equal num of spaces calculated at the beginning.

always round down in parking

3.

If angular: $\theta = 60$ with stall depth 16.
num of modules: $42.4" \times 2 + 51.8" \times 2 = 187"$

4 modules

4. num of rows: $2 \times 4 = 8$ rows.

5. same thing or number of handicapped w

6. We are going to use PW not SW so we

$\sin \theta = \frac{SW}{PW} = \frac{8.6"}{PW} = \sin 60$ | $PW = 9.8"$ | stand

$\sin \theta = \frac{SW}{PW} = \frac{8"}{PW} = \sin 60$ | $PW = 9.23"$ | comp

* what about y?

$\cos 60 = \frac{y}{SD} = 8$
SD = 16 (stall depth)

of spaces for standard cars: $\frac{180 - 8}{9.8}$

of spaces for standard cars (with turning)

" " " compact cars: $\frac{180 - 8}{9.23}$

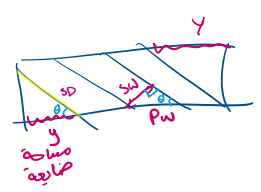
" " " " (with turning)

Handicapped: $\sin 60 = \frac{SW(4C)}{PW(4C)}$

< 200"

will be given.
need it:

and
act:



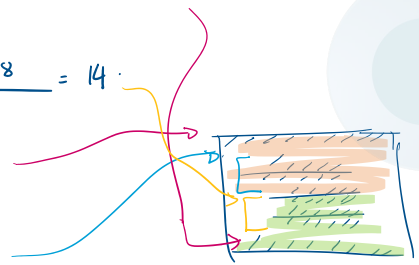
a single module
قبة واحدة

= 17.55 ≈ 17 for a single module. (حسين المصطفى، أكي)

$$g) : \frac{180 - (15 \times 2) - 8}{9.8} = 14$$

$$18.63 \triangleq 18$$

$$: \frac{180 - (15 \times 2) - 8}{9.23}$$



$$\rightarrow \sin 60 = \frac{12}{PW} \quad PW_{(60)} = 13$$

① num of employees / shift = num of employees per shift

②

* Cafeteria + vending:

$$12 \text{ ft}^2 \times \text{num of employees per shift} + 1 \text{ ft}^2 \times "$$

* Cafeteria + service line:

can have 70 employees / shift only \rightarrow so $\frac{\text{employees}}{70} = \text{num of lines}$

$$12 \text{ ft}^2 \times " + \text{num of lines} \times 300 \text{ ft}^2$$

* Cafeteria + full kitchen

$$(\text{sum of cafeteria + service line}) + \text{area from table num of desired meals}$$

1 → 1.25 employees (no transportation)

1 → 3 employees (transportation available)

2/100 handicapped stalls, 12" module

no walking more than 300-400 feet

33% for compact cars if not given.

16" for turning aisle

6 ft² locker for each person.

200 ft² close bathroom for each work station.

bathroom numbers.

Food service within 1000 feet

water fountain within 200 feet

Health services: 250 ft² for each nurse

75 ft² + 25 ft² only for additional nurse

150 ft² for each doctor.

Ch5

Sunday, January 19, 2025

10:25 PM

Determine the following:

1. Container space utilization.
2. Container nesting ratio.
3. Trailer space utilization (if all containers stacked vertically in only one orientation).
4. Trailer return ratio.



① Container Space utilization = $\frac{\text{inside dimension}}{\text{outside dimension}} = \frac{18 \times 11 \times 11}{20 \times 12 \times 12} = 75.625 \approx 76\%$

② Container nesting Ratio = $\frac{\text{container outside height}}{\text{nesting height}} = \frac{12}{2} = 6$

كل ما كانت
أقل كل ما
كان أفضل
(نهتم فقط بال Height)

⇒ So (6) nested container use the same space as one closed container

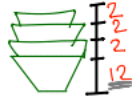
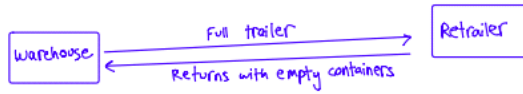
③ Trailer Space Utilization =
* of loaded containers that the trailer can take

(we need to determine how much container are in the trailer)
Length → $\frac{240}{20} = 12$ containers along the Length
width → $\frac{120}{12} = 10$ containers along the width
height → $\frac{120}{12} = 10$ containers along the height

* so Total number of containers = $12 \times 10 \times 10 = 1200$ full containers

and now the trailer utilization = $\frac{\text{* of container} \times \text{container inside dimension}}{\text{Trailer inside dimension}} = \frac{1200 \times (18 \times 11 \times 11)}{240 \times 120 \times 120} = 76\%$

④ Trailer Return Ratio = $\frac{\# \text{ of empty containers fit in the trailer}}{\# \text{ of full containers fit in the trailer}}$
 من الترتيل 1200



so number of containers stacked vertically = $1 + \frac{\text{the height of the trailer} - \text{the first height}}{\text{the nested height}} = 1 + \frac{120 - 12}{2} = 1 + \frac{108}{2} = 55$ empty containers vertically

*so total # of empty containers = $55 \times 12 \times 10 = 6600$ empty container

*Trailer Return Ratio = $\frac{\# \text{ of empty containers fits in the trailer}}{\# \text{ of full containers fits in the trailer}}$
 $= \frac{6600}{1200}$
 $= 5.5$

we want this number to be as high as possible

